# **Quantum Mechanical World**

#### Quantum Mechanics

The branch of physics and chemistry that examines the *wave motion of objects on an atomic scale.* 

 $\label{eq:lambda} \dots \lambda_{\text{particles}} \approx \text{dimensions of the surroundings in} \\ \text{atomic environment.}$ 

The "Quantum Garage"



www.scienceteecher.com



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#### Heisenberg Uncertainty Principle

...it is impossible to know both the position and momentum (speed × mass) of a particle *at the same time*.

Werner Heisenberg 1901-1976 http://osulibrary.orst.edu

Mathematically:

$$\Delta \mathbf{x} \bullet \mathbf{m} \Delta \mathbf{u} \geq \frac{\mathbf{h}}{4\pi}$$

∆x: Uncertainty in particle's position.

If  $\Delta x$  is small you know the particle's position well but...

∆u: Uncertainty in particle's velocity.
∆u must be large and you

have little information about the particle's speed.



### Heisenberg Uncertainty Principle



"I see it! I know where it is!!!"



"But I know little about how fast it is going and in which direction."

... by observing, you have changed the experiment!



## Quantum Mechanics Schrodinger Equation

Schrodinger's Equation:

$$\left(\frac{\delta^2 \Psi}{\delta z^2} + \frac{\delta^2 \Psi}{\delta x^2} + \frac{\delta^2 \Psi}{\delta y^2}\right) + \forall \Psi = \mathsf{E} \bullet \Psi$$

Equation is solved in various situations for  $\boldsymbol{\Psi}$ 

 $\Psi$  has no physical significance!

 $\Psi^2$  is the **probability** of finding an electron in a specific space.



Erwin Schrodinger (1887 – 1961)



## Solutions to the Schrodinger Equation





Probability = 
$$18 \times 3 = 54$$

Probability =  $24 \times 2 = 48$ 

Probability =  $30 \times 1 = 30$ 



Greatest!

Decreasing Probability



# The Quantum Mechanical Atom

